Day 27

Bug Algorithms

3/15/2012

Fundamental Problems

- Chapter 2 of Dudek and Jenkin begins:
 - Before delving into the harsh realities of real robots..."
- lists 5 fundamental problems
 - 1. path planning
 - 2. localization
 - 3. sensing or perception
 - 4. mapping
 - 5. simultaneous localization and planning

A Point Robot

- represents a mobile robot as a point in the plane*
- the point P fully describes the state of the robot
 - called pose or configuration
- robot motion causes the state to change

Free Space and Obstacles

- the set of valid poses is called the free space C_{free} of the robot
- the invalid poses are obstacles



Path Planning

• is it possible for the robot to move to a goal configuration while remaining in C_{free} ?



Path Planning Using Bugs

- bug algorithms assume:
 - point robot
 - known goal location
 - finite number of bounded obstacles
 - robot can perfectly sense its position at all times
 - robot can compute the distance between two points
 - robot can remember where it has been
 - robot can perfectly sense its local environment
 - robot can instantaneously change direction



- assumes a perfect contact sensor
- repeat
 - head towards goal
 - if goal is reached then stop
 - if an obstacle is reached then follow the boundary until heading towards the goal is again possible





not guaranteed to reach the goal



- assumes a perfect contact sensor
- repeat:
 - head toward goal T
 - if goal is reached then stop
 - if an obstacle is reached then
 - ▶ remember the point of first contact H (the hit point)
 - follow the boundary of the obstacle until returning to H and remember the point L (the leave point) closest to T from which the robot can depart directly towards T
 - $\hfill\square$ if no such point L exists then the goal is unreachable; stop
 - move to L using the shortest boundary following path









- Bug Two uses a line, called the *m*-line, from the start point to the goal
 - sometimes called the direct path



- assumes a perfect contact sensor
- repeat:
 - head toward goal T along the m-line
 - if goal is reached then stop
 - if an obstacle is reached then
 - remember the point of first contact H (the hit point)
 - follow the boundary of the obstacle until the m-line is crossed at a leave point closer to the goal than H
 - \Box if no such point L exists then the goal is unreachable; stop
 - Ieave the obstacle and head toward T





Bug One versus Bug Two

- Bug One uses exhaustive search
 - it considers all leave points before leaving the obstacle
- Bug Two uses greedy search
 - > it takes the first leave point that is closer to the goal

Sensing the Environment

- Bug1 and Bug2 use a perfect contact sensor
- we might be able to achieve better performance if we equip the robot with a more powerful sensor
- a range sensor measures the distance to an obstacle; e.g., laser range finder
 - emits a laser beam into the environment and senses reflections from obstacles
 - essentially unidirectional, but the beam can be rotated to obtain 360 degree coverage

- assumes a perfect 360 degree range finder with a finite range
 - measures the distance $\rho(x, \theta)$ to the first obstacle intersected by the ray from x with angle θ
 - > has a maximum range beyond which all distance measurements are considered to be $\rho=\infty$
- the robot looks for discontinuities in $\rho(x, \theta)$



 currently, bug thinks goal is reachable so it moves toward the goal



once the obstacle is sensed, the bug needs to decide how to navigate around the obstacle



• move towards the sensed point O_i that minimizes the distance $d(x, O_i) + d(O_i, q_{\text{goal}})$ (called the heuristic distance)

Minimize Heuristic Example

At x, robot knows only what it sees and where the goal is,



so moves toward O_2 . Note the line connecting O_2 and goal pass through obstacle



so moves toward O_4 Note some "thinking" was involved and the line connecting O_4 and goal pass through obstacle

Choose the pt O_i that minimizes $d(x,O_i) + d(O_i,q_{doal})$

16-735, Howie Choset with slides from G.D. Hager and Z. Dodds

Motion To Goal Example



Choose the pt O_i that minimizes $d(x,O_i) + d(O_i,q_{goal})$

16-735, Howie Choset with slides from G.D. Hager and Z. Dodds

- problem with concave obstacles
 - eventually the robot reaches a point where $d(x, O_i) + d(O_i, q_{\text{goal}})$ starts to increase



 once this happens, the robot switches to "boundary following" mode

> trick here is that the robot remembers the distance $d_{\rm following}$ between M and $q_{\rm goal}$



M is the point on the blocking obstacle that had the shortest distance to the goal when the heuristic distance started to increase

the robot returns to "motion to goal" mode as soon as it reaches a point where the distance between a sensed point and the goal or the distance between the robot location and the goal is less than d_{following}





full details

- Principles of Robot Motion: Theory, Algorithms, and Implementations
- http://www.library.yorku.ca/find/Record/2154237

nice animation

http://www.cs.cmu.edu/~motionplanning/student_gallery/2006/st/hw2pub.htm